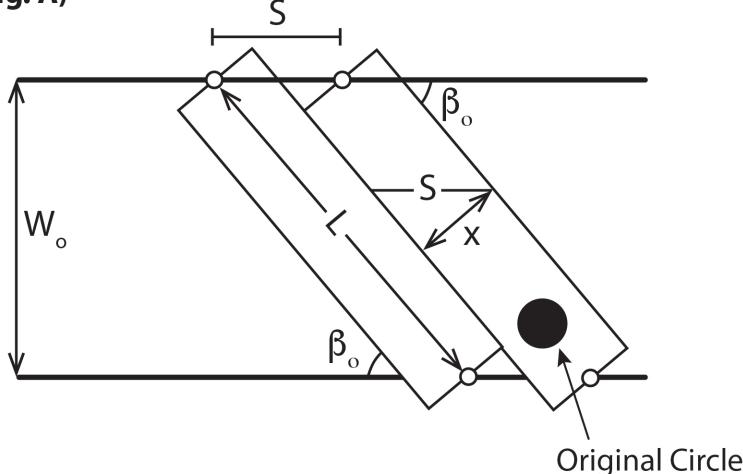


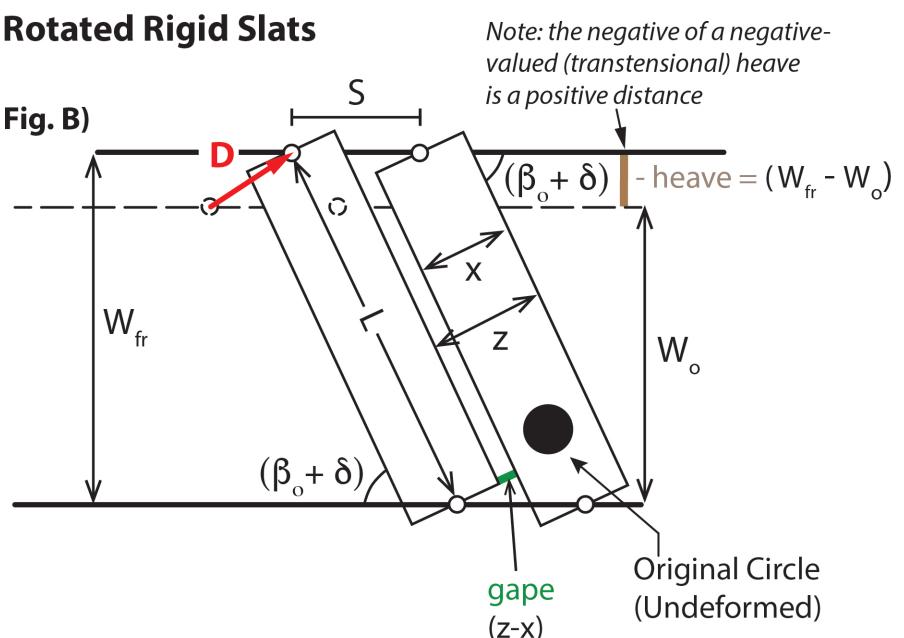
Original Geometry

Fig. A)



Rotated Rigid Slats

Fig. B)



Note: the negative of a negative-valued (transtensional) heave is a positive distance
 $(W_{fr} - W_o) - \text{heave} = (W_o - W_{fr})$

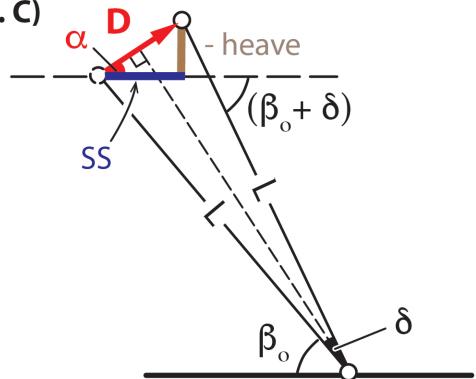
Definition of Variables

W_o	Original width of deformation zone
W_{fr}	Post-rotation width of deformation zone (rigid slat case)
W_{fd}	Final width of deformation zone (deformable slat case) = observed width in the field
L	Original length of slats
L^*	Final length of slats (deformable slat case)
S	Strike-parallel spacing of slats
x	Transverse width of slats (= original transverse spacing)
z	Transverse spacing of slats after deformation
β_o	Original strike angle of long dimension (axis) of slat
δ	Angular rotation of slat
$(\beta_o + \delta)$	Final strike angle of long dimension (axis) of slat
D	Displacement magnitude (rigid slat case)
α	Displacement angle (rigid slat case, positive if convergent)
D^*	Displacement magnitude (deformable slat case)
α^*	Displacement angle (deformable slat case)
SS	Strike-slip component of displacement (rigid slat case)
SS^*	Strike-slip component of displacement (deformable slat case)

$$\text{Heave} = (W_o - W_{fr}) \\ = \text{Zone width change (rigid slat case)}$$

$$\text{Heave}^* = (W_o - W_{fd}) \\ = \text{Zone width change (deformable slat case)}$$

Fig. C)



Assumptions

1. Spacing (S) of slats is constant (i.e., no length changes parallel to strike of deformation zone)
2. Transverse width (x) of slats is constant
3. Volume of a slat is conserved (i.e., horizontal length stretch, L^*/L , is compensated by a vertical stretch, L/L^*)

Rigid Slat Model

(1) $L = W_o / \sin(\beta_o)$	See Fig. A	
(2) $x = S \times \sin(\beta_o)$	See Fig. A	
(3) $z = S \times \sin(\beta_o + \delta)$	See Fig. B	
(4) $W_{fr} = L \times \sin(\beta_o + \delta)$	See Fig. B	
(5) $W_{fr} = W_o \times [\sin(\beta_o + \delta) / \sin(\beta_o)]$	Substitute (1) into (4)	
(6) $W_{fr} / W_o = \sin(\beta_o + \delta) / \sin(\beta_o)$	Divide (5) by W_o	Stretch of the zone width
(7) $z / x = \sin(\beta_o + \delta) / \sin(\beta_o)$	Divide (3) by (2)	Bulk stretch transverse to the slats
(8) $(z - x) = S \times [\sin(\beta_o + \delta) - \sin(\beta_o)]$	Subtract (2) from (3)	Nominal gape between slats after deformation
(9) $(W_o - W_{fr}) = W_o \times [1 - [\sin(\beta_o + \delta) / \sin(\beta_o)]]$	Subtract (5) from W_o	Heave (positive if contractional)
(10) $\sin(\delta/2) = (\mathbf{D} \times L) / 2$	See Fig. C	
(11) $\mathbf{D} = 2W_o \times \sin(\delta/2) / \sin(\beta_o)$	Combine (1) and (10)	
(12) $\delta = 2 \times \text{ARCSIN}[\mathbf{D} \times \sin(\beta_o) / 2W_o]$	Rearrange (11)	
(13) $\alpha = \text{ARCSIN}[(W_o - W_{fr}) / \mathbf{D}]$	See Fig. C	
(14) $\alpha = \text{ARCSIN}[[\sin(\beta_o + \delta) - \sin(\beta_o)] / 2\sin(\delta/2)]$	Insert (9) and (11) into (13)	
(15) $SS = -1 \times \text{Heave} / \tan(\alpha)$	See Fig. C, Eqn 9	

Deformable Slat Model—pure strike-slip case

(16) $L^* = W_o / \sin(\beta_o + \delta)$	See Fig. E	
(17) $(L - L^*) = [W_o / \sin(\beta_o)] - [W_o / \sin(\beta_o + \delta)]$	Subtract (16) from (1)	Axial shortening of slat
(18) $L^* / L = (1 + e_3) = \sin(\beta_o) / \sin(\beta_o + \delta)$	Divide (16) by (1)	Minimum principal stretch
(19) $(1 + e_2) = 1.0$	See assumption 2	Intermediate principal stretch
(20) $(1 + e_1) = \sin(\beta_o + \delta) / \sin(\beta_o)$	See assumption 3	Maximum principal stretch (vertical)
(21) $(\beta_o + \delta)$	See Fig. E	Angle of strike-perpendicular line from X direction of strain
(22) Stretch of strike-perpendicular line: $= 1 / [\{\sin((\beta_o + \delta) / \sin(\beta_o)\}^2 \times \sin^2(\beta_o + \delta) + \cos^2(\beta_o + \delta)]^{-1/2}$		From Ramsay and Huber (1983), p. xx.
(23) $SS^* = \mathbf{D} \cos \alpha + [\tan(90 - (\beta_o + \delta)) \times (-1) \times \text{Heave}]$		See Figs. D & E (insert Eqns 9, 11, 13)